NGM COLLEGE (AUTONOMOUS) PG & RESERACH DEPARTMENT OF MATHEMATICS M.Sc. Mathematics Programme

SCHEME OF EXAMINATIONS (2016-17 onwards)

		vee	Exam	ination	ıs		its
Subject Code	Subjects	Ins Hrs/wee	Dur. Hrs	CIA	ESE	Total	Credits
	S	EMEST	ER I				
16PMS101	Core I: Algebra	6	3	25	75	100	4
16PMS102	Core II: Real Analysis	6	3	25	75	100	4
16PMS103	Core III: Complex Analysis	6	3	25	75	100	4
16PMS104	Core IV: Ordinary Differential Equations	6	3	25	75	100	4
16PMS1E1	ME I : Matlab	4	3	25	75	100/2=50	3
16PMS1E2	ME Practical II : Programming Lab in Matlab	2	3	40	60	100/2=50	2
	TOTAL	30	-	130	370	500	21
	SEMI	ESTER 1	I				
16PMS205	Core V: Linear Algebra	6	3	25	75	100	4
16PMS206	Core VI: Mathematical Statistics	6	3	25	75	100	4
16PMS207	Core VII: Partial Differential Equations	5	3	25	75	100	4
16PMS208	Core VIII: Mechanics	6	3	25	75	100	4
16PMS209	Core IX: Numerical Methods	4	3	25	75	100/2=50	3
16PMS210	Core Practical X: Programming lab in Numerical Methods using Matlab	2	3	40	60	100/2=50	2
16PMS2N1/ 16PMS2N2	NME -Mathematical Statistics and Techniques/ Mathematics in Finance	1	3		100	100	2
	TOTAL	30		130	470	600	23

	SEME	STER I	II				
16PMS311	Core XI: Topology	6	3	25	75	100	4
16PMS312	Core XII: Functional Analysis	6	3	25	75	100	4
16PMS313	Core XIII: Combinatorics	6	3	25	75	100	4
16PMS314	Core XIV: Graph Theory	6	3	25	75	100	4
16PMS3E3	ME III: Latex	4	3	25	75	100/2=50	3
16PMS3E4	ME Practical IV: Programming Lab in Latex	2	3	40	60	100/2=50	2
	TOTAL	30		130	370	500	21
	SEME	STER I	V				
16PMS415	Core XV: Fluid Dynamics	6	3	25	75	100	4
16PMS416	Core XVI: Operator Theory	6	3	25	75	100	4
16PMS417	Core XVII: Control Theory	6	3	25	75	100	4
16PMS4E5	ME V: Stochastic Differential Equations	6	3	25	75	100	5
16PMS4P1	Core XVIII: Project	4+ 2(Lab)		40	160	200	8
	TOTAL	30		140	460	600	25
	GRAND TOTAL	120		530	1670	2200	90

ME-Major Elective NME- Non Major Elective

List of Electives:

- 1. Magneto Hydro Dynamics
- 2. Stochastic Differential Equations
- 3. Algebraic Number Theory
- 4. Algebraic Topology
- 5. Fuzzy Logic and Fuzzy Sets
- 6. MATLAB (Theory & Practical)
- 7. Latex (Theory & Practical)
- 8. Differential Geometry
- 9. Cryptography
- 10. Distribution Theory.

List of Non Major Electives

- 1. Mathematical Statistics & Techniques
- 2. Mathematics in Finance

Department	Mathematics	
Course		Effective
		From the
		Year:
		2016
Subject code : 1		
	ALGEBRA	G 114 4
		Credits: 4
Objectives	To enable the students to learn several advanced concepts in alg	gebra wnich
	have wider applications in higher analysis, topology, theory of a	numbers,
	geometry, physics and chemistry etc. This paper is designed in	such a way
	that a student can realize the importance of the topics like Sylov	v's
	theorems, polynomial rings, extension of fields and Galois theo	ry.
Unit	Contents	Hrs
Unit-I	Sylow's Theorem and Inner Product Spaces.	16 hours
Unit-II	Polynomial Rings, Polynomials over the Rational field and	16 hours
	Polynomial Rings over Commutative Rings.	
Unit-III	Extension Fields and Finite Fields.	15 hours
Unit-IV	Roots of Polynomials and More about roots.	16 hours
Unit-V	The Elements of Galois theory.	15 hours
Text Book	Herstein I.N. (2010), Topics in Algebra, 2 nd Edition, Wiley Indi	a Pvt. Ltd.,
	New Delhi.	
Reference	1. John B. Fraleigh (2003), A First Course in Abstract Algebra	a, Narosa
Books	Publishing House, New Delhi.	
	2. Surjeet Singh, Qazi Zameeruddin(2006), Modern Algebra,	Vikas
	Publishing House Pvt. Ltd., Delhi.	
	3. Bhattaracharya P.B, Jain K, and Nagpaul S.R (2009), Basic	Abstract
	Algebra, Cambridge University Press, New York.	

Department	Mathematics	
Course	Fi	ffective com the ear: 2016
Subject code:		
Title :	REAL ANALYSIS C	redits: 4
Objectives	The aim of this syllabus is to aid learners in attaining a broad unders	
v	analysis techniques that are the basic stepping-stones to contemporary i	research. It
	is assumed that learners are familiar with the subject matter of the und	
	analysis courses. This syllabus enables the learners to learn and unc	_
	depth sequence and series of functions, functions of several variations	
	differential forms. Also study Lebesgue integral and Lebesgue measure	
Unit	Contents	Hrs
Unit-I	Riemann-Stieltjes Integral:	
	Definition and Existence of the Integral – Properties of the	15 hours
	Integral - Integration and Differentiation - Integration of Vector-	13 110013
	valued Functions – Rectifiable Curves.	
Unit-II	Sequences And Series Of Functions:	
	Uniform convergence – Uniform Convergence and Continuity –	
	Uniform Convergence and Integration – Uniform Convergence and	16 hours
	Differentiation – Equicontinuous Families of Functions – The Stone-	
	Weierstrass Theorem.	
Unit-III	Functions of Several Variables:	
	Linear Transformations – The Contraction Principle –The	
	Inverse Function Theorem – The Implicit Function Theorem –	
	Determinants – Derivatives of Higher Order.	16 hours
Unit-IV	Lebesgue Measure:	
	Lebesgue Outer Measure – The σ-Algebra of Lebesgue	
	Measurable sets– Lebesgue Measurable Functions.	15 hours
Unit-V	Lebesgue Integral:	
	The Lebesgue integral of bounded Measurable	
	function over a set of finite measure - The Lebesgue Integral of a	16 hours
	Measurable nonnegative function –The general Lebesgue integral.	
Text Book	1. Walter Rudin, (2013), <i>Principles of Mathematical Analysis</i> , McGraw New York. For units I-III: Chapters 6, 7, 9.	Hill.

	For Unit 1: Chapter 6. Unit 2: Chapter 7. Unit 3: Chapter 9 Except Differentiation, The Rank Theorem &— Differentiation on Integrals.
	2. Royden H.L. and Fitzpatrick P.M. (2010), <i>Real Analysis</i> , Fourth Edition, Pearson Education, Inc., Publishing as Prentice Hall.
	For Unit 4: Sections 2.1,2.2,2.3, 3.1,3.2.
	Unit 5: Sections 4.1,4.2,4.3,4.4.
Reference	1. R.G.Bartle,(1976), <i>Elements of Real Analysis</i> ,2 nd Edition, John Wiley and
Book	Sons, New York.
	2. W.Ruddin,(1986), <i>Real and Complex Analysis</i> ,3 rd Edition, McGraw-Hill, New York.

Department	Mathematics	
Course		Effective
		From the Year : 2016
Subject code	: 16PMS103	
Title	: COMPLEX ANALYSIS	
Hrs/ Week		Credits: 4
Objectives	This paper provides a transition from undergraduate elempostgraduate advanced topics and enables the learners	nentary results to
	 to understand and to evaluate the definite in and effective way using calculus of residues. to get a deeper understanding in the advance harmonic functions, Infinite products and Also it motivates the learners to take up resear Complex Analysis. 	ed topics such as Normal families.
Unit	Contents	Hrs
Unit-I	The General form of Cauchy's Theorem:	
	Chains and Cycles – Simple Connectivity – Homology –	
	The General Statement of Cauchy's Theorem – Proof of	16 hours
	Cauchy's Theorem – Locally Exact Differentials – Multiply	
	Connected Regions.	
Unit-II	The Calculus of Residues and Harmonic Functions: The Residue Theorem – The Argument Principle –	
	Evaluation of Definite integrals - Definition and Basic	15 hours
	Properties of Harmonic Functions - The Mean Value	15 110415
	Property.	
Unit-III	Series and Product Developments: Poisson's Formula – Schwarz's Theorem – The Reflection	
	Principle - Weierstrass's Theorem - The Taylor Series -	15 hours
	The Laurent Series.	10 110015
Unit-IV	Partial Fractions and Factorization and Entire	
	Functions: Partial Fractions – Infinite Products – Canonical Products –	
		16 hours
	The Gamma Function, Zensen's Formula.	
Unit-V	Normal Families and Elliptic Functions: Equi-continuity – Normality and Compactness, Arzela's	
	Theorem - Families of Analytic Functions - Simply	16 hours
	Periodic Functions - Representation by Exponentials – The	
		<u> </u>

	Fourier Development – Doubly Periodic Functions – The
	Period Module – Unimodular Transformations .
Text Book	Lars V. Ahlfors (2013), Complex <i>Analysis</i> , McGraw-Hill International
	Edition, Third Edition (Indian Edition).
Reference	1. Serge Lang (2005), <i>Complex Analysis</i> , Springer International Edition.
Books	
	2. Shanti Narayan & Dr.P.K.Mittal, (2014), Theory of Functions of a Complex
	Variable, S.Chand & Company Pvt. Ltd.
	3. Herb Silvermann (1975), <i>Complex Analysis</i> , Houghton Mifflin Company.

CONTENTS:

UNIT I : Chapter 4: Sections 4.1 - 4.7

UNIT II : Chapter 4: Sections 5.1, 5.2, 5.3, 6.1 and 6.2.

UNIT III : Chapter 4: Sections 6.3, 6.4, 6.5.

Chapter 5: Sections 1.1, 1.2, 1.3.

UNIT IV : Chapter 5: Sections 2.1, 2.2, 2.3, 2.4.

Chapter 5: Sections 3.1.

UNIT V : Chapter 5: Sections 5.1, 5.2, 5.3, 5.4.

Chapter 7: Sections 1.1, 1.2. Chapter 7: Sections 2.1, 2.2.

Department	Mathematics	
Course		Effective
		From the Year: 2016
Subject code		
Title	: ORDINARY DIFFERENTIAL EQUATIONS	
Hrs/ Week		Credits: 4
Objectives	Differential equations play an important role in science, engi	•
	social sciences. Many phenomena in these branches of know	ledge are
	interpreted in terms of differential equations and their applications	ations. This
	paper helps the students to	
	i. learn linear equations and systems,	
	ii. study the existence and uniqueness of solution	ns of initial
	value problems,	
	iii. find solution by various methods,	
	iv. understand the results of oscillation and bound	dary value
	problems.	
Unit	Contents	Hrs
Unit-I	Linear differential equations of higher order	16 hours
Unit-II	Solutions in power series (Except 3.1)	15 hours
Unit-III	Systems of Linear Differential Equations (Except 4.1)	15 hours
Unit-IV	Existence and uniqueness of solutions; and Oscillations of	
	second order equations (Except 5.5 to 5.8 & 6.6)	16 hours
Unit-V	Boundary Value problems (Except 7.4)	16 hours
Text Book	Deo S. G. and Raghavendran . V (1990), Ordinary Differen	tial Equations
	and stability Theory, Tata McGraw Hill Publishing company	Limited.
Reference Book	 Martin H.(1985), Ordinary Differential Equations, Hill Publishing company Limited. Coddington E. A and Levinson N.,(1955), Theory Differential Equations, McGraw Hill, New York. 	

Department	Mathematics	
Course	M. Sc	Effective
		From the
		Year : 2016
Subject code	: 16PMS1E1	
Title	: MAT LAB	
Hrs/ Week	4	Credits: 3
Objectives	To make students to learn the software in a friendly and no	C
	fashion and helps them to solve the numerous sample	e problems in
	Mathematical sciences as a new users of MATLAB.	<u> </u>
Unit	Contents	Hrs
Unit-I	Starting with MATLAB – Creating arrays- Mathematical	
	operations with arrays.	11 hours
Unit-II	Scripts files- Functions and function files.	11 hours
Unit-III	Two-dimensional plots- Three- dimensional plots.	
		10 hours
Unit-IV	Programming in MATLAB.	10 hours
Unit-V	Polynomial - Curve fitting and interpolation.	10 hours
Text Book	Amos Gilat (2004), <i>MATLAB An Introduction with Applicat</i> Wiley & Sons, Singapore.	tion, John
Reference	1. Prata R. P (2006), Getting Started with MATLAB – A	Quick
Books	Introduction for Scientist and Engineers, Oxford Un	iversity Press,
	New Delhi.	
	2. W.J.Palm (2005), Introduction to MATLAB 7 for En	gineers,
	McGraw-Hill Education, New York.	
	3. D.M.Etter, D.C.Kuncicky and H.Moore (2004), <i>Intro</i>	oduction to
	MATLAB 7, Prentice Hall, New Jersy.	

Unit-1: Chapter 1, Chapter 2, Chapter 3.

Unit-2: Chapter 4, Chapter 6.

Unit-3: Chapter 5, Chapter 9.

Unit-4: chapter 7

Unit-5: Chapter 8

Department	Mathematics	
Course	M.Sc.,	Effective
		From the
		Year: 2016
Subject code	: 16PMS1E2	
Title	: PROGRAMMING LAB IN MATLAB	
Hrs/ Week	2	Credit: 2
Objectives		

List of Programs

- 1. Program to solve geometry and trigrometry problem.
- 2. Program to illustrate the row vector operations in a given matrix.
- 3. Program to illustrate the column vector operations in a given matrix.
- 4. Program to illustrate the creation of submatrix form a given matrix.
- 5. Program for friction experiment.
- 6. Program to analyze the electrical resistive network.
- 7. Program to calculate distance of projectile by, element by element calculation.
- 8. Program to create vertical bar, horizontal bar, stairs, stem plots of a function.
- 9. Program to formatting a plot using commands.
- 10. Program to create plot of a function using the given data and fplot function.
- 11. Program to create mesh and surface plots for a given function.
- 12. Program to create various views of 3D plots.
- 13. Program for creating a matrix.
- 14. Program to plot a function and curve corresponds to the interpolation method.
- 15. Program to calculate value and finding roots of a polynomial.
- 16. Program to determine a function that best fits the given data.

Department	Mathematics	
Course	M.Sc	Effective From the Year: 2016
Subject code		
Title Hrs/ Week	: LINEAR ALGEBRA 6	Credits: 4
Objectives	The aim of the syllabus is	Cicuits: 4
-	To provide the students with a good understanding the students.	ne concepts and
	methods described in the syllabus.	
	To help students develop the ability to solve proble	ms using linear
	Algebra.	
	• To connect Linear Algebra to other fields both with	nin and without
	Mathematics.	
	To develop abstract and critical reasoning by studying lo	gical proofs and
	the axiomatic method as applied in the Linear Algebra.	
Unit	Contents	Hrs
Unit-I	Elementary Canonical Forms:	
	Characteristic Values - Annihilating Polynomials, Invariant	
	Subspaces.	
		16 hours
Unit-II	Direct Sum Decompositions - Invariant Direct Sums - The	
	Primary Decomposition Theorem.	16 hours
Unit-III	The Rational and Jordan Forms:	
	Cyclic Subspaces and Annihilators - Cyclic Decompositions	15 hours
	and the Rational Form	
Unit-IV	The Jordan Form - Computations of Invariant Factors	
		15 hours
Unit-V	Bilinear Forms:	
	Bilinear Forms - Symmetric Bilinear Forms	
		16 hours
Text Book	Kenneth Hoffman and Ray Kunge (2013), Linear Algebra. Seco.	nd Edition. PHI
	learning Private Ltd., New Delhi.	
	I .	

Reference	1. Herstein I. N. (2010). <i>Topics in Algebra</i> . Wiley India pvt. Ltd., New
Books	Delhi.
	2. Kumaresan S. (2001). Linear Algebra. Prentice-Hall of India.
	3. Serge Lang. (2005). Introduction to linear algebra. Springer.

Department	Mathematics	
Course	M.Sc	Effective
		From the
		Year : 2016
Subject code		
Title	: MATHEMATICAL STATISTICS	Credits: 4
Hrs/ Week Objectives	The objective of this syllabus is to give a systematic introduction	
Objectives		
	probability theory and Mathematical Statistics. Students masterin	g the material
	in this syllabus will be able to read research reports and to do rese	earch in this
	field. It will help the students to face SLET, NET, and CSIR exar	ninations.
Unit	Contents	Hrs
Unit-I	Random events: Preliminary remarks-Random events and operations performed on them-The system of axioms of the theory of probability-Conditional probability-Bayes theorem-Independent events. Random variables: The concept of a random variable-The distribution function-Random variables of the discrete type and the continuous type-Functions of random variables-Multidimensional random variables-Marginal distributions-Conditional distributions-Independent random variables. Parameters of the distribution of a random variable: Expected values-Moments-The Chebyshev inequality-absolute moments.	15 hours
Unit-II	Characteristic functions: Properties of characteristic functions-The characteristic function and moments-Semi invariants-The characteristic function of the sum of independent random variables-Determination of the distribution function by the characteristic function-The characteristic function of multidimensional random vectors-Probability generating functions. Some probability distributions: One point and two point distributions-The Bernoulli scheme. The Binomial distribution-The Poisson distribution.	16 hours
Unit-III	Some probability distributions: The uniform distribution-The normal distribution-The gamma distribution-The beta distribution-The Cauchy and Laplace distributions. Limit theorems: Preliminary remarks-Stochastic convergence-Bernoulli's law of large numbers-The Levy-Cramer theorem-The De Moivre - Laplace theorem.	15 hours

Unit-IV	Sample moments and their functions: The notion of a sample-The notion of a Statistic-the distribution of the arithmetic mean of independent normally distributed random variables-The χ^2 distribution-The distribution of the statistics(X'S)-Student's t-distribution-Fisher's Z-distribution. Significance tests: The concept of statistical test-Parametric tests for small samples-Parametric tests for large samples.	16 hours
Unit-V	The theory of estimation: Preliminary notions-Consistent estimates-Unbiased estimates-The sufficiency of an estimate-The efficiency of an estimate-Method of finding estimates-Confidence intervals.	16 hours
Text Book	Marek Fisz,(1980), <i>Probability theory and Mathematical Statistics</i> , Third Edition, John Wiley & sons, Inc.	
Reference Books	 Gupta S. C. Kapoor V. K. (2000), Fundamentals of Mathematical Statistics a Modern Approach, 10th Edition, Sultan Chand & Sons. Irwin Miller, Marylees Miller (2011), Mathematical Statistics, 7th Edition, Pearson Prentice Hall Pvt Ltd. 	

UNIT-I: Chapter 1: Sections 1.1, 1.2, 1.3, 1.5, 1.6, 1.7.

Chapter 2: Sections 2.1, 2.2, 2.3, 2.4, 2.5, 2.6, 2.7, 2.8.

Chapter 3: Sections 3.1, 3.2, 3.3, 3.4.

UNIT-II: Chapter 4: Sections 4.1, 4.2, 4.3, 4.4, 4.5, 4.6, 4.7.

Chapter 5: Sections 5.1, 5.2, 5.5.

UNIT-III: Chapter 5: Sections 5.6, 5.7, 5.8, 5.9, 5.10.

Chapter 6: Sections 6.1, 6.2, 6.3, 6.6, 6.7.

UNIT-IV: Chapter 9: Sections 9.1, 9.2, 9.3, 9.4, 9.5, 9.6, 9.7.

Chapter 12: Sections 12.1, 12.2, 12.3.

UNIT-V: Chapter13: Sections13.1, 13.2, 13.3, 13.4, 13.5, 13.6, 13.7, 13.8.

Department	Mathematics	
Course		Effective
		From the
		Year : 2016
Subject code Title	: 16PMS207 : PARTIAL DIFFERENTIAL EQUATIONS	
Hrs/ Week	5	Credits: 4
Objectives	On completion of the course the students are expected to have	
	i. Obtained solid introduction to nonlinear and linear partial	
	differential equations.	
	ii. Understood Charpit's method, Jacobi method, method o	
	seperation of variables, method of integral transforms	S.
	iii. a good understanding of Laplace equation, wa	ave equation,
	diffusion equations and a good knowledge of	their various
	applications in mathematics and other fields.	
Unit	Contents	Hrs
Unit-I	Non-linear partial differential equations of the first order -	
	Compatible systems of first order equations - Charpit's	
	Method - Special types of first order equations and Jacobi's	
	Method.	15 hours
Unit-II	Linear partial differential equations with constant co-	
	efficient and Equations with variable coefficients.	16 hours
Unit-III	Method of separation of variables and the method of	
	integral transforms.	15 hours
Unit-IV	Elementary solutions of Laplace's equations - Families of	
	equi-potential surfaces - Boundary value problems -	
	Separation of variables and Problems with axial symmetry.	16 hours
Unit-V	Elementary solutions of one dimensional wave equation -	
	Vibrating membranes: Application of calculus of variations	
	- Elementary solutions of diffusion equation and Separation	
	of variables.	16 hours
Text Book	Ian N. Sneddon, (2006) Elements of Partial Differential Equ	ations. Dover
	Publication, New york.	

Reference Books

- 1. Michael Renardy and Robert C. Rogers. (2004), *An Introduction to Partial Differential Equations*. Second Edition. Springer.
- 2. Robert C. Mc Owen. (2004), *Partial Differential Equations, Methods and Applications*. Second Edition. Pearson Education, Inc.

Department	Mathematics	
Course	M.Sc	Effective
		From the
Subject code	• 16PM\$208	Year : 2016
Title	: MECHANICS	
Hrs/ Week	6	Credits: 4
Objectives	On completion of the course the students are expected to have	ve .
	 i. Studied and understood Lagrange's, Hamilton's equations and various simple but important results related to them. ii. obtained a sound knowledge in Hamilton-Jacobi theory 	
	iii. grasped the basics of relativity	
Unit	Contents	Hrs
Unit-I	Introductory concepts:	
	Mechanical system – Generalized Coordinates –	
	Constraints – Virtual Work – Energy and Momentum.	16 hours
Unit-II	Lagrange's equations:	
	Derivations of Lagrange's Equations – Examples –	
	Integrals of Motion.	15 hours
Unit-III	Hamilton's equations:	
	Hamilton's Principle – Hamilton's Equations.	16 hours
Unit-IV	Hamilton – jacobi theory:	
	Hamilton's Principle function – Hamilton-Jacobi Equation.	15 hours
Unit-V	Canonical transformations:	
	Differential forms and Generating Functions – Lagrange	16 hours
	and Poisson Brackets.	
Text Book	Donald T. Greenwood, (2014) Classical Dynamics, Dover P	ublication
	New York.	
Reference	1. Goldstein, H.(1950), Classical Mechanics. Addiso	n Wesley
Books	Press, Inc.	·
	2. Synge, J.L. and Griffith, B.A.(1959), <i>Principles of</i>	Mechanics.
	Third Edition. McGraw-Hill company.	

Unit I: Chapter 1: Section 1.1-1.5
Unit II: Chapter 2: Section 2.1-2.3
Unit III: Chapter 4: Section 4.1-4.2
Unit IV: Chapter 5: Section 5.1-5.2

Unit V: Chapter 6: Section 6.1, 6.3

Department	Mathematics	
Course	M.Sc	Effective From the Year: 2016
Subject code Title	: 16PMS209 : NUMERICAL METHODS	
Hrs/ Week	4	Credits: 3
Objectives	-	Credits . 3
Unit	Contents	Hrs
Unit-I	Solving Nonlinear Equations: Linear Interpolation Methods — Newton's method — Muller's Method — Newton's Method for Polynomials (excluding Horner's Methods, Parallel Processing) — Bairstow's method for quadratic factors.	S
Unit-II	Numerical Differentiation And Integration: Derivatives from differences tables — Higher-orde derivatives — Divided difference, Central difference formulas — The trapezoidal rule-A composite formula — Romberg integration — Simpson's rules.	e 11 nours
Unit-III	Solving Set Of Equations :	10 hours
	The elimination method – Gauss Elimination and Gauss Jordan methods – LU decomposition method – Matrix inversion by Gauss-Jordan method – Methods of iteration – Jacobi and Gauss Seidal iteration – Relaxation method – Systems of nonlinear equations.	K -
Unit-IV	Solution Of Ordinary Differential Equations: Taylor series method – Euler and modified Euler methods – Runge-Kutta methods – Multistep methods – Milne's method – Adams-Moulton method.	
Unit-V	Boundary Value Problems And Characteristic Value	e 10 hours
	Problems:	
	The shooting method – Solution through a set of equations – Derivative boundary conditions – Characteristic-value problems – Eigen values of a matrix by iteration – The power method	2
Text Book	Gerald C.F. and Wheatley P.O. (1998), <i>Applied Numerical A</i> Edition, Addison- Wesley, Reading.	Analysis, Sixth

Unit I: Chapter 1: Sections: 1.3, 1.4, 1.5, 1.7, 1.8, 1.11, Unit II: Chapter 5: Sections: 5.2, 5.3, 5.6, and 5.7. Unit III: Chapter 2: Sections: 2.3 - 2.5, 2.7, 2.10 - 2.12.

Unit IV: Chapter 6: Sections: 6.2 - 6.7. Unit V: Chapter 7: Sections: 7.2 - 7.5.

Department	Mathematics			
Course	M.Sc.,	Effective		
		From the		
		Year: 2016		
Subject code	Subject code: 16PMS210			
Title	: PROGRAMMING LAB IN NUMERICAL METHOD			
	USING MATLAB			
Hrs/ Week	2	Credit: 2		
Objectives				

List of Programs

- 1. Newton Raphson Method to find the roots
- 2. Matrix inverse by Gauss Jordan Method
- 3. Eigen values and eigen vectors by Power Method
- 4. Gauss elimination Method for solving a system of linear equations
- 5. Gauss Jocabi's Method for solving a system of linear equations
- 6. Gauss Seidal Method for solving a system of linear equations
- 7. Numerical integration by Trapezoidal rule
- 8. Numerical integration by Simpon's 1\3 rule
- 9. Euler's Method for solving first order ODE
- 10. Second order Runge Kutta Method for solving first order ODE
- 11. Fourth order Runge Kutta Method for solving first order ODE
- 12. Milne's Predictor-Corrector Method for solving first order ODE

Department	Mathematics	
Course	M. Sc.,	Effective From the Year: 2016
Subject code	: 16PMS2N1	
Title	: NME - MATHEMATICAL STATISTICS AND TECNIQUES	
Hrs / Week:	1	Credits: 2
Unit	Contents	Hrs
Unit-I	Mean- Median- Standard deviation-Coefficient of variation	3 hours
Unit-II	Correlation Analysis: Simple and Rank Correlation	2 hours
Unit-III	Regression Analysis: Simple Linear Regression	2 hours
Unit-IV	Testing Of Hypothesis: Z Test – t Test	3 hours
Unit-V	Testing Of Hypothesis: Chi square Test – F Test	
		3 hours
Text Books	Gupta S. P. (2006) Statistical Methods, Sultan chand & sons, N	lew Delhi.

Department	Mathematics	
Course	M.Sc	Effective
		From the
		Year : 2016
Subject code	:16PMS2N2	
Title	: MATHEMATICS IN FINANCE	
Hrs/ Week	1	Credits: 2
Unit	Contents	Hrs
	Financial Statement Analysis Ratio Analysis Meaning and objectives of financial statement analysis Ratio analysis Types of ratios Liquidity ratios Leverage / Capital structure ratios *Profitability ratios Profitability ratios related to sales Profitability ratios related to investments Return on investments(ROI) Activity ratios Importance of ratio analysis	13 hours
Text Book	Khan M.Y and Jain P.K (1990), <i>Financial Management</i> Tail Hill Publishing Company Ltd, New Delhi.	ta McGraw-
Reference Books	1. Aswath Damodaran (2007), <i>Corporate Finance</i> , Theory and Practice, John Wiley and Sons, Inc. 2. Prasanna Chandra (1998), <i>Managing Investment</i> , Tata McGraw-Hill Publishing Company Ltd, New Delhi.	

Department	Mathematics	
Course	M.Sc	Effective
		From the Year: 2016
Subject code	: 16PMS311	1011 . 2010
Title	: TOPOLOGY	
Hrs/ Week	6	Credits: 4
Objectives	Topology is one of the basic disciplines of pure mathematics and concerns	
	more on logical precision. Its ideas and methods have transformed large	
	parts of geometry and analysis almost beyond recognition. It	has also
	greatly stimulated the growth of abstract algebra. The course	content of
	this paper serves to lay foundation for further study in analys	is, geometric
	and algebraic topology.	
Unit	Contents	Hrs
Unit-I	Topological spaces, Basis for a topology - The order	
	topology - The product topology on $X \times Y$ - The subspace	
	topology - Closed sets and Limit points.	16 hours
Unit-II	Continuous functions - The metric topology - The metric	
	topology (Continued)	15 hours
Unit-III	Connected spaces - Connected subspaces of the real line -	
	Components and Local Connectedness - Compact spaces.	15 hours
Unit-IV	The Separation axioms - Normal spaces - The Urysohn	
	lemma - The Urysohn Metrization Theorem - The Tietz	
	Extension theorem.	16 hours
Unit-V	The Tychonoff theorem - The Stone-Cech Compactification	
	- Metrization theorems and Para Compactness - The Nagata-	
	Smirnov Metrization theorem - The Smirnov Metrization	
	Theorem - Complete metric spaces.	16 hours
Text Book	Munkres J.R. (2000). <i>Topology</i> . Second Edition. Pearson Ed	ucation, Inc.
Reference	1. Simmons G.F. (1963). Introduction to topology and mod	ern analysis.
Books	Tata Mc Graw Hill book company, INC.	
	2. Dugundji J. (1975). <i>Topology</i> . Prentice Hall of India.	
	3. John Kelly. L. (1968). <i>General Topology</i> . Van Nostrand	Reinhold
	Company.	

- 4. Stephen Willard. (1970). General Topology. Addision Wesley.
- 5. Benjamin sims. T. (1976). *Fundamentals of Topology*. Macmillan Publishing Company.

Department	Mathematics	
Course	M.Sc	Effective From the
	1677.1924	Year: 2016
Subject code Title	: 16PMS312 : FUNCTIONAL ANALYSIS	
Hrs/ Week	6	Credits: 4
Objectives	On Completion of the course the students are expected	
	i. to have a clear understanding of Normed linear space	es, Banach spaces,
	Hilbert spaces and $\beta(X,Y)$	
	ii. to understand some important, but simple to follow	, theorems such as best
	approximation theorems, Projection theorem and	l Riesz Representation
	theorem	
	iii. to have full grasp of the three important theorems	of Functional Analysis
	namely Hahn-Banach Theorem, The Uniform Bou	indedness Principle and
	Closed Graph Theorem	
	iv. to apply the concepts and results covered in th	e course to Numerical
	Analysis and Operator equations.	
		T
Unit	Contents	Hrs
Unit-I	Contents Norm on a Linear Space - Examples of Normed Linear Space	
		es -
	Norm on a Linear Space - Examples of Normed Linear Space	es -
	Norm on a Linear Space - Examples of Normed Linear Spac Semi norms and Quotient Spaces - Product Space and Graph	es -
	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form -	es -
	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces.	es -
Unit-I	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of	es -
Unit-I	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces.	es -
Unit-I	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of	es - 15 hours
Unit-I	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of Banach Spaces - Baire Category Theorem (statement only) -	es - 15 hours
Unit-I	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of Banach Spaces - Baire Category Theorem (statement only) - Schauder Basis and Separability - Heine-Borel Theorem and	es - 15 hours
Unit-I	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of Banach Spaces - Baire Category Theorem (statement only) - Schauder Basis and Separability - Heine-Borel Theorem and Riesz Lemma - Best Approximation Theorems -	es - 15 hours
Unit-I	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of Banach Spaces - Baire Category Theorem (statement only) - Schauder Basis and Separability - Heine-Borel Theorem and Riesz Lemma - Best Approximation Theorems - Projection Theorem.	es - 15 hours
Unit-II	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of Banach Spaces - Baire Category Theorem (statement only) - Schauder Basis and Separability - Heine-Borel Theorem and Riesz Lemma - Best Approximation Theorems - Projection Theorem.	es - 15 hours
Unit-II	Norm on a Linear Space - Examples of Normed Linear Space Semi norms and Quotient Spaces - Product Space and Graph Norm - Semi – Inner Product and Sesquilinear Form - Banach Spaces. Completion of Normed Linear Spaces - Some Properties of Banach Spaces - Baire Category Theorem (statement only) - Schauder Basis and Separability - Heine-Borel Theorem and Riesz Lemma - Best Approximation Theorems - Projection Theorem.	es - 15 hours

	Norm on β (X,Y) - Riesz Representation Theorem -	
	Completeness of ß (X, Y) - Bessel's Inequality - Fourier	
	Expansion and Parseval's Formula -	1.51
	Riesz-Fischer Theorem	16 hours
Unit-IV	Hahn-Banach Theorem and Its Consequences - The Extension Theorem – Consequences - On Uniqueness of Extension - Separation Theorem	15 hours
Unit-V	Uniform Boundedness Principle - The Theorem and Its Consequences - Closed Graph Theorem and Its Consequences - Closed Graph Theorem - Bounded Inverse Theorem - Open Mapping Theorem - A Stability Result for Operator Equations	
Text Book	Thamban Nair, M. (2010). Functional Analysis - A First Course. Prentice Hall of India Pvt. Ltd. New Delhi.	
Reference Books	 Limaye, B.V. (1981). Functional Analysis, Wiley Eastern, New Delhi. Simmons, G.F. (1963). Introduction to Topology and Modern Analysis. McGraw-Hill Kogakusha. Tokyo. 	

Department	Mathematics		
Course	M.Sc	Effective From the Year: 2016	
Subject code			
Title Hrs/ Week	: COMBINATORICS	Credits: 4	
Objectives	On completion of the course the learners are expected	Cicuits: 1	
	i. to have gained a working knowledge of the basic ideas and		
	techniques of the subject		
	ii. to handle various aspects of assignment problems, beginning with		
	the famous result of Philip Hall, and on to various app	olications.	
	iii. to deal with configurations		
	iv. to have a sound knowledge of block designs and its ap	pplications to	
	error correcting codes		
	to understand the Steiner system S(5, 8, 24) and the construc	ction of Leech	
	Lattice in 24 dimensions.		
Unit	Contents	Hrs	
Unit-I	Introduction to basic ideas - Selections and Binomial		
	coefficients – Permutations - Ordered selections- Unordered		
	selections - Further remarks on the binomial theorem and		
	Miscellaneous	16 hours	
Unit-II	Pairings problems:		
	Pairings within a set - Pairings between sets - an optimal		
	assignment problem and Gale's optimal assignment		
	problem.	15 hours	
Unit-III	Recurrence:		
	Some miscellaneous problems - Fibonacci type relations -		
	Using Generating Functions - Miscellaneous methods and		
	Counting simple electrical networks	16 hours	
Unit-IV	The Inclusion – Exclusion Principle:		
	The principle, The Rook Polynomials- Steiner Systems and		
	Sphere Packings - Introductory remarks - Steiner Systems		
	S(5,8,24) and Leech's Lattice.	16 hours	

Unit-V	Block Designs and Error correcting codes:	
	Block designs - Square block designs - Hadamard	
	configurations and Error correcting codes.	
		15 hours
Text Book	Ian Anderson. (1974), A first course in combinatorial Mathematical	natics.
	Oxford University press.	
Reference	1. Krishnamurthy, V. (1986), Combinatorics.: Affiliated	east west
Books	press pvt ltd. New Delhi.	
	2. Balakrishnan, V.K. and Balakrishnan, V. (1984), Schaum's
	outline of Combinatorics. Mcgraw hill publishers.	

Department	Mathematics	
Course	M.Sc	Effective
		From the
Subject code	: 16PMS314	Year : 2016
Title	: GRAPH THEORY	
Hrs/ Week	6	Credits: 4
Objectives	Graph theory is a major area of Combinatorics. In th	is Course we
	introduce the learners to some basic topics in graph theory.	
Unit	Contents	Hrs
Unit-I	Graphs and Subgraphs:	
	Graphs and simple graphs - Graph Isomorphism - The	e
	Incidence and adjacency matrices - Subgraphs - Vertex	ζ
	degrees - path and Connection and Cycles.	
	Trees: Trees - Cut edges and bonds - Cut vertices and	1
	Cayley's formula.	16 hours
Unit-II	Connectivity:	
	Connectivity and Blocks.	
	Euler Tours and Hamilton cycles: Euler tours and Hamilton	1
	cycles.	16 hours
Unit-III	Matchings:	
	Matchings - Matchings and coverings in bipartite graphs	s
	and perfect matchings.	16 hours
	Independent sets and Cliques: Independent sets.	
Unit-IV	Edge Colourings:	
	Edge chromatic number and Vizing's theorem.	
	Vertex Colourings: Chromatic number, Brooks' theorem	,
	Hajo's Conjecture - Dirac's Theorem, Chromatic	
	polynomials, Girth and chromatic number.	15 hours
Unit-V	Planar Graphs:	
	Plane and planar graphs, Dual graphs - Euler's formula and	
	Kuratowski's theorem.	
	Directed Graphs: Directed graphs - Directed paths and	1
	directed cycles.	15 hours
	directed cycles.	15 Hours

Text Book	Bondy, J.A. and Murty, U.S.R. (1976), Graph Theory with Applications,	
	Macmillan Company.	
Reference	1. Balakrishnan, R. and Ranganathan, K. (2000), A Text Book on	
Books	Graph Theory. Springer Verlog, New York.	
	2. Gould, R. (1988), Graph Theory. The Benjamin/	
	Cummings Publishing Company, Inc., California.	
	3. Hartsfield, N. and Ringel, G. (1990), Pearls in Graph Theory.	
	Academic Press.	

Department	Mathematics	
Course	M. Sc	Effective
		From the
		Year : 2016
Subject code	: 16PMS3E3	
Title	: LATEX	
Hrs/ Week	4	Credits: 3
Objectives	This course provides students with an introduction to technic and computer presentation with LATEX, which is the de-fac computer science, mathematics and many of sciences.	
Unit	Contents	Hrs
Unit-I	Text formatting – TEX and its offspring - What's different	
	in LATEX 2ε - Distinguishing LATEX 2ε - Basics of LATEX file.	11 hours
Unit-II	Commands and environments – Command names and arguments – Environments - Declarations - Lengths - Special Characters - Fragile Commands - Exercises.	11 hours
Unit-III	Document layout and Organization – Document class, Page style - Parts of the document - Table of contents -Fine – tuning text - Word division. Displayed text – Changing font - Centering and indenting, Lists - Generalized lists - Theorem like declarations, Tabulator stops - Boxes.	10 hours
Unit-IV	Tables - Printing literal text - Footnotes and marginal notes - Drawing pictures with Latex.	10 hours
Unit-V	Mathematical formulas – Mathematical environments, Main elements of math mode - Mathematical symbols- Additional elements - Fine – tuning mathematics.	10 hours
Text Book	Kopka.H and Daly P.W. (1999), A Guide to Latex, Third Edition, Addison – Wesley, London.	
Reference	1. George Gratzer . (2007). More Math into latex, Four	th Edition,
Books	Springer. 2. <u>www.tug.org.in/tutorials.html</u> . A latex primer	

Department	Mathematics	
Course	M.Sc.,	Effective
		From the
		Year: 2016
Subject code	: 16PMS3E4	
Title	: PROGRAMMING LAB IN LATEX	
Hrs/ Week	2	Credit: 2
Objectives	This course is designed to provide a practical exposure to the students on	
	LATEX	

List of Programs

- 1. To illustrate different font sizes in Latex
- 2. To prepare a title page in Latex document
- 3. To understand the section hierarchy of book environment in Latex
- 4. To prepare a list using itemize environment in Latex
- 5. To prepare a table in Latex
- 6. To prepare a table in Latex with multiple title row
- 7. To split the equations in Latex
- 8. To type a equations using left cases in Latex
- 9. To type a system of equations in Latex
- 10. To type a equations using right cases in Latex
- 11. To type a Binomial equations in Latex
- 12. To type a Christottol symbol in Latex
- 13. To use a cross reference in Latex article
- 14. To import '.eps' picture in Latex
- 15. To import a picture using Latex draw in Latex

Department	Mathematics	
Course		ective
		m the
Subject code		r: 2016
Title	: FLUID DYNAMICS	
Hrs/ Week		dits:4
Objectives	On completion of the course the students are expected	
	i. to have a good understanding of the fundamental of	equation of
	viscous compressible fluid	
	ii. to have studied Bernoulli equation, Momentum th	eorems and
	their various applications.	
	iii. to understand the motion of solid bodies in fluid	
	iv. to have a sound knowledge of boundary layer theo	ory.
Unit	Contents	Hrs
Unit-I	Kinematics of fluids and Fundamental equations of the flow	
	of viscous compressible fluids:	
	Methods of describing fluid motion: Lagrangian method,	
	Eulerian method-Translation, Rotation and Rate of	
	deformation- Streamlines, Path lines and Streak lines- Material	
	derivative and acceleration- Vorticity, Vorticity in Polar –	
	coordinates- Vorticity in orthogonal curvilinear coordinates-	
	The equation of continuity - Conservation of mass- Equation of	
	motion - conservation of momentum- The energy equation -	
	conservation of energy.	16 hours
Unit-II	One dimensional invisid incompressible flow and two and	
	three dimensional invisid incompressible flow:	
	Equation of continuity Stream tube flow- Equation of motion	
	Euler's equation-The Bernoulli's equation- Applications of the	
	Bernoulli equation((a) & (b)) - The Momentum theorem-	
	Applications of the momentum theorem((a) & (b))- Equation of	
	continuity - Eulerian equation of motion- Circulation theorems-	
	Velocity potential - irrotational flow- Integration of the	
	equations of motion - Bernoulli's equation- The momentum	
	The month of the m	

	theorem- The moment of momentum theorem.	16 hours
Unit-III	Laplace's equation:	
	Laplace equation in Cartesian coordinates-Laplace equation in	
	cylindrical coordinates - Laplace equation in Spherical	
	coordinates(derivations omitted) -Stream function in 2	15 hours
	dimensional motion- The Flow net - Two dimensional flow	
	examples- Stream function in three dimensional motion -	
	Three dimensional axially symmetric flow examples	
Unit-IV	Motion of solid bodies in a Fluid:	
	Rankine's method of constructing streamlines- Superposition of	
	source and rectilinear flow- Superposition of source and sink	
	with rectilinear flow - The Rankine body- Superposition of	
	rectilinear flow and doublet- Superposition of	
	Vortex, Rectilinear flow and doublet in a two dimensional case.	15 hours
Unit-V	Laminar flow of viscous incompressible fluids and	
	Boundary Layer Theory:	
	Flow between parallel flat plates- Steady flow in	
	pipes, Flow between two co-axial cylinders- Flow between two	
	concentric rotating cylinders - Boundary layer concept- The	
	boundary layer equations in two dimensional flows- The	
	boundary layer along a flat plate- The Blasius solution.	16 hours
Text Book	Yuan, S.W. (1988), Foundations of fluid mechanics. Prentice Hall of	India Pvt. Ltd.
Reference	1. Shanthi Swarup(2000), Fluid dynamics, Krishna Prakasan	media Pvt.
Books	Ltd., Meerut,	
	2. Frank Chorlton (2004), Text book on Fluid Dynamics, CB	S Publishers
	and Distributors, Delhi.	

CONTENTS:

For Unit I: Sections 3.1 - 3.5, 5.1 - 5.3

For Unit II: Sections 6.1 - 6.4, 6.6 - 6.7, 7.1 - 7.7

For Unit III: Sections 7.8 - 7.13.

For Unit IV: Sections 7.14 - 7.16, 7.18, 7.19.

For Unit V: Sections 8.3 - 8.4,8.5, 9.2 - 9.3.

Department	Mathematics		
Course	M.Sc	Effective	
		From the	
Califord and	. 1/DMC/1/	Year : 2016	
Title	Subject code: 16PMS416 Title: OPERATOR THEORY		
Hrs/ Week	6	Credits: 4	
Objectives	On completion of the course the students are expected		
	(i) To understand the concepts of Dual space, Reflexivity, W	Veak convergence	
	and Compact operators and to illustrate them with examples.		
	(ii) To have a clear understanding of Spectrum, Resolvent s	set of an operator	
	and Spectral mapping theorem		
	(iii) To have well founded knowledge in adjoint of an oper	ators, self adjoint	
	operators, normal operators, unitary operators and their prope	rties.	
Unit	Contents	Hrs	
Unit-I	Dual Space Considerations -Representation of Dual Spaces		
	- Dual of $l^p(n)$ - Duals of Some Sequence Spaces - Duals of		
	C[a,b] and L ^p [a,b] - Separability Revisited	16 hours	
Unit-II	Reflexivity and Weak Convergence - Reflexivity - Weak		
	Convergence - Best Approximation in Reflexive Spaces	15 hours	
Unit-III	Compact Operators - Some Characterizations - Space of		
	Compact Operators - Further Properties	15 hours	
Unit-IV	Spectral Results for Banach Space Operators -		
	Eigenspectrum and Approximate Eigenspectrum - Spectrum		
	and Resolvent Set - Spectral Radius - Spectral Mapping		
	Theorem - Gelfand-Mazur theorem and Spectral radius		
	formula (In 10.2.3, Theorem 10.17 only)	16 hours	
Unit-V	Operators on Hilbert Spaces - Adjoint of an Operator -		
	Compactness of the Adjoint Operator - Sesquilinear		
	Functionals - Self-Adjoint, Normal and Unitary Operators -		
	Numerical Range and Numerical Radius - Some		
	Characterizations	16 hours	
Text Book	Thamban Nair, M. (2010), Functional Analysis - A First Course. Prentice Hall		
	of India Pvt. Ltd. New Delhi.		

Reference	1. Simmons, G.F. (1963). Introduction to Topology and Modern Analy		
Books	McGraw-Hill Kogakusha, Tokyo.		
	2. Sunder, V.S. (1997). Functional Analysis: Spectral Theory. Hindustan		
	Book Agency, New Delhi.		
	3. Taylor, A.E. and Lay, D.C. (1980). Introduction to Functional		
	Analysis. Second Edition. Wiley, New York.		

Department	Mathematics	
Course	M.Sc	Effective From the Year: 2016
Subject code Title	: 16PMS417 : CONTROL THEORY	
Hrs/ Week		Credits: 4
Objectives	Control theory is relatively a young branch of Applied Mathe	
	completion of the course the students are expected to develop	their
	knowledge in the basic problems, namely, observability, cont	rollability,
	stability, stabilizability and optimal control.	
Unit	Contents	Hrs
Unit-I	Observability:	
	Linear Systems - Observability Grammian - Constant	
	coefficient systems - Reconstruction kernel and Nonlinear	16 hours
	Systems.	
Unit-II	Controllability:	
	Linear Systems - Controllability Grammian, Adjoint	
	Systems - Constant coefficient systems - Steering function	15 hours
	and Controllability of Nonlinear System.	
Unit-III	Stability:	
	Stability - Uniform Stability and Asymptotic Stability of	
	Linear Systems - Perturbed linear systems and Nonlinear	15 hours
	systems.	
Unit-IV	Stabilizability:	
	Stabilization via linear feedback control, Bass method - The	
	Controllable subspace and Stabilization with restricted	16 hours
	feedback.	
Unit-V	Optimal Control:	
	Linear time varying systems with quadratic performance	
	criteria - Linear time invariant systems and nonlinear	16 hours
	systems.	
Text Book	Balachandran, K. and Dauer, J.P. (2012). Elements of Control	l Theory.:
	Narosa, New Delhi.	

Reference Books

1. Conti, R. (1976). Linear Differential Equations and Control.

Academic Press, London.

2. Curtain, R.F. and Pitchard, A.J. (1977). Functional Analysis and

Modern Applied Mathematics. Academic Press, New York.

3. Klamka, J. (1991). Controllability of Dynamical Systems.

Klumer Academic Publisher, Dordrecht.

Contents:

For Unit I: Chapter2: Sections 2.1 & 2.2
For Unit II: Chapter3: Sections 3.1 & 3.2
For Unit III: Chapter4: Sections 4.1, 4.2 & 4.3
For Unit IV: Chapter5: Sections 5.1, 5.2 & 5.3
For Unit V: Chapter6: Sections 6.1, 6.2 & 6.3.

Department	Mathematics	
Course	M.Sc	Effective
		From the Year: 2016
Subject code	: 16PMS4E5	1 cai . 2010
Title	: STOCHASTIC DIFFERENTIAL EQUATIONS	
Hrs/ Week	6	Credits: 5
Objectives	Stochastic differential equation have a wide range of applica	tions inside as
	well as outside mathematics and the subject has a rapidly d	eveloping life
	of its own as a fascinating research field with man	ny interesting
	unanswered questions. The course needs some background	nd in measure
	theory. In this paper six problems are introduced wh	ere stochastic
	differential equations play an essential role in finding the	neir solutions,
	which will motivate the students for the further advance students	lies in this and
	related branches of mathematics.	
Unit	Contents	Hrs
Unit-I	Introduction:	
	Stochastic Analogs of Classical Differential Equations,	
	Filtering Problems - Stochastic Approach to Deterministic	
	Boundary Value Problems - Optimal Stopping, Stochastic	
	Control and Mathematical Finance.	
	Some Mathematical Preliminaries:	
	Probability Spaces - Random Variables and Stochastic	16 hours
	Processes and an Important Example: Brownian motion.	
Unit-II	Ito Integrals:	
	Construction of the Ito Integral - Some Properties of the Ito	
	Integral and Extensions of the Ito Integral.	
TI .4 TTT		15 hours
Unit-III	The Ito Formula and The Martingale Representation	
	Theorem:	
	The 1-dimensional Ito Formula- the Multi-dimensional Ito	
	Formula and the Martingale Representation Theorem	
	Stochastic Differential Equations:	
	Examples and Some Solution Methods - An Existence and	
	Uniqueness Result and Weak and Strong Solutions.	16 hours

Unit-IV	The Filtering Problem:	
	Introduction - The 1-dimensional Linear Filtering Problem	
	and the Multidimensional Linear Filtering Problem.	15 hours
Unit-V	Diffusions: Basic Properties:	
	The Markov Property, the Strong Markov Property, the	
	Generator of Ito Diffusion, the Dynkin Formula, and the	16 hours
	Characteristic Operator.	
Text Book	Bernt Oksendal. (2014), Stochastic Differential Equal	tions – An
	Introduction with Applications. Sixth Edition. Spri	nger-Verlog,
	Heidelberg.	
Reference	J. Medhi. (2009). Stochastic Processes. Third Edition.	. New Age
Book	International(p) ltd.	